# SCHEME OF COURSE WORK

### **Course Details:**

Course Title	Computational Fluid Dynamics								
Course Code	19ME2207 L P C :3 0 3								
Program:	M.Tech. in Mechan	M.Tech. in Mechanical Engineering							
Specialization:	Thermal Engineering								
Semester	Π								
Prerequisites	Fluid Mechanics and Heat Transfer								
Courses to which it is a		Computational Fluid I	Dyna	amic	s lab				
prerequisite									

### **Course Outcomes (COs):**

At the end of the course the student will be able to

1	Explain momentum and energy balance equations, physical behavior, definitions of finite difference, finite volume methods, and turbulence modelling
2	Apply finite difference solutions to heat transfer in slab, fin, rectangular geometry and long cylinder
3	Explain ADI method and vorticity-stream function method by FDM, discretisation using finite volume method, and implementation of boundary conditions, Thomas algorithm
4	Explain ADI method and vorticity-stream function method by FDM, discretisation using finite volume method, and implementation of boundary conditions, Thomas algorithm
5	Explain upwind differencing for convection-diffusion problems, SIMPLE and SIMPLER algorithms

#### **Program Outcomes (POs):**

- PO1:Exhibit in-depth knowledge in thermal engineering specialization
- PO2: Think critically and analyze complex engineering problems to make creative advances in theory and practice
- PO3: Solve problem, think originally and arrive at feasible and optimal solutions with due consideration to public health and safety of environment
- PO4: Use research methodologies, techniques and tools, and contribute to the development of technological knowledge
- PO5: Apply appropriate techniques, modern engineering and software tools to perform modeling of complex engineering problems knowing the limitations
- PO6: Understand group dynamics, contribute to collaborative multidisciplinary scientific research

- PO7: Demonstrate knowledge and understanding of engineering and management principles and apply the same with due consideration to economical and financial factors
- PO8: Communicate complex engineering problems with the engineering community and society, write and present technical reports effectively.
- PO9: Engage in life-long learning with a high level of enthusiasm and commitment to improve knowledge and competence continuously
- PO10: Exhibit professional and intellectual integrity, ethics of research and scholarship and will realize his/her responsibility towards the community
- PO11: Examine critically the outcomes of his/her actions and make corrective measures without depending on external feedback

COs	<b>PO1</b>	PO2	<b>PO3</b>	<b>PO4</b>	<b>PO5</b>	<b>PO6</b>	<b>PO7</b>	<b>PO8</b>	<b>PO9</b>	<b>PO10</b>	PO11	<b>PO12</b>
CO-1	Μ											
CO-2	Μ	Μ			Μ			Μ				
CO-3	Μ	Μ			Μ							
CO-4	Μ	Μ			Μ			М				
CO-5	S	Μ			Μ			М				

#### Course Outcome Versus Program Outcomes:

S - Strongly correlated, M - Moderately correlated, Blank - No correlation

Assessment	Assignment / Quiz / Seminar / Case Study / Mid-Test/ End Exam
Methods:	Assignment / Quiz / Semmar / Case Study / Wild-Test/ End Exam

# **Teaching-Learning and Evaluation**

Week	TOPIC / CONTENTS	Course Outcomes	Sample questions	TEACHING- LEARNING STRATEGY	Assessment Method & Schedule
1	Governing equations: Mass, momentum and energy balance equations - Conservation form of the governing equations of fluid flow - Potential flow model, Buoyancy-driven convection and Boussinesq approximation.	CO-1	<ul> <li>(1) Write M&amp;E</li> <li>equations in non-</li> <li>conservation and</li> <li>conservation forms</li> <li>(2) Explain</li> <li>simplified flow</li> <li>models</li> </ul>	Lecture Derivations	Assignment Week 4-5)
2	Physical behavior: Classification of partial differential equations according to physical behavior as elliptic,	CO-1	(1) Explain the three classifications according to physical behavior with	Lecture / Discussion	Mid-Test 1 (Week 7)

	<ul> <li>parabolic and hyperbolic equations.</li> <li>Finite difference method: First and second derivatives in finite difference form using truncated Taylor series - grid generation, discretization.</li> </ul>		examples (2) Taylor series, and derivation of first and second derivatives from truncated Taylor series	Derivations Analysis	
3	Finite volume method: concept of control volume, grid generation, discretization. Introduction to turbulence modelling: Reynolds-averaged Navier-Stokes (RANS) equations for incompressible flow – turbulence models for RANS equations – the standard k-e model – Wilcox model.	CO-1	<ul> <li>(1) Decribe grid generation and discretization methods in FVM</li> <li>(2) Explain concept of turbulence, and turbulent models k-e and Wilcox</li> </ul>	Lecture Derivations Analysis	Quiz (Week 6)
4	<ul> <li>Finite difference method: (a)</li> <li>One dimensional steady heat</li> <li>conduction through a slab/rod</li> <li>with uniform heat source,</li> <li>(b) steady state heat transfer</li> <li>through a rectangular/circular</li> <li>fin,</li> </ul>	CO-2	Explain grid generation and discretization by FDM (1) for ss heat conduction in a slab (2) for ss heat transfer in a fin	Lecture Derivations and analysis	
5	<ul> <li>(c) steady state two- dimensional heat conduction in rectangular geometry with uniform heat source,</li> <li>(d) steady radial heat conduction in a long solid cylinder</li> </ul>	CO-2	Explain grid generation and discretization by FDM (1) ss 2-D heat conduction in rectangular geometry (2) in radial geometry in a long cylinder	Lecture Derivations Analysis	
6	(e) Transient one-dimensional heat conduction by explicit and Crank- Nicolson's implicit methods.	CO-2	Explain solution method for 1-D transient heat conduction in a slab/rod by (1) explicit method (2) Crank-Nicolson implicit scheme	Lecture Derivations Analysis	

7					
/	Mid-I Examination				
8	ADI method: Solution of transient two-dimensional heat conduction equation by Alternating Direction Implicit method.	CO-3	Solve problem of 2-D transient heat conduction by ADI method	Lecture Derivations Analysis	
9	Vorticity-Stream function method: Definitions of vorticity and stream function - problem of two- dimensional incompressible viscous flow in a lid-driven cavity by vorticity- stream function method	CO-3	Solve problem of 2- D laminar flow by vorticity - stream function method	Lecture Derivations Analysis	
10, 11	Finite volume method: Application to one-dimensional steady state heat conduction in a slab/rod with source term - Implementation of boundary conditions - solution using Thomas algorithm.	CO-3	<ul> <li>(1) Solve problem of</li> <li>1-D ss heat</li> <li>conduction problem</li> <li>by finite volume</li> <li>method</li> <li>(2) Describe method</li> <li>of implementation of</li> <li>boundary conditions</li> <li>(3) Explain solution</li> <li>by Thomas algorithm</li> </ul>	Lecture Derivations Analysis	
12	Steady diffusion: Finite volume method for heat transfer from a fin - grid generation - discretization - solution Finite volume method for two- dimensional diffusion problem	CO-4	<ul> <li>(1) Describe solution method for steady heat transfer from a fin by FVM</li> <li>(2) Solve 2-D diffusion problem by finite volume method</li> </ul>	Lecture Derivations Analysis	Mid-Test 2 (Week 18)
13	Transient diffusion: Finite volume method for one- dimensional transient heat conduction – explicit and implicit schemes.	CO-4	Solve problem of transient 1-D heat conduction by (a) explicit method, (b) implicit scheme by finite volume discretization	Lecture Derivations Analysis	Case Study (Week 10 - 14)
14	Convection-diffusion: One- dimensional convection diffusion using central differencing scheme Properties of discretization schemes:	CO-4	(1) Explain central differencing scheme in discretization of convection-diffusion problems	Lecture Derivations Analysis	

15	Conservativeness, boundedness, transportiveness. Upwind differencing scheme: One-dimensional convection diffusion using upwind differencing scheme - assessment of central and upwind differencing schemes for conservativeness, boundedness and transportiveness – hybrid differencing scheme.	CO-5	<ul> <li>(2) Describe properties of discretization schemes</li> <li>(1) Explain upwind and hybrid differencing schemes</li> <li>(2) Compare central and upwind differencing schemes w.r.t. the trasportiveness property</li> </ul>	Lecture Derivations Analysis	
16, 17	Pressure linked momentum balance equations: u- and v- momentum balance equations with pressure gradient in internal flow - concept of staggered grid SIMPLE algorithm: Discretisation of momentum equations – pressure correction equation – under relaxation – flowchart for SIMPLE algorithm –	CO-5	<ul> <li>(1) Explain (a) pressure linked equations, and (b) staggered grid</li> <li>(2) Obtain discretized momentum equation</li> <li>(3) Draw the flowchart and explain SIMPLE algorithm</li> </ul>	Lecture Problem solving	
18	SIMPLER algorithm – pressure equation – flow chart for SIMPLER algorithm	CO-5	<ul> <li>(1) How is</li> <li>SIMPLER algorithm</li> <li>different from</li> <li>SIMPLE algorithm</li> <li>(2) Draw flow chart</li> <li>for SIMPLER</li> <li>algorithm</li> </ul>	Lecture Derivations Analysis	Seminar (Week 15)
19	Mid-II Examination				
20	End Semester Examination				

,